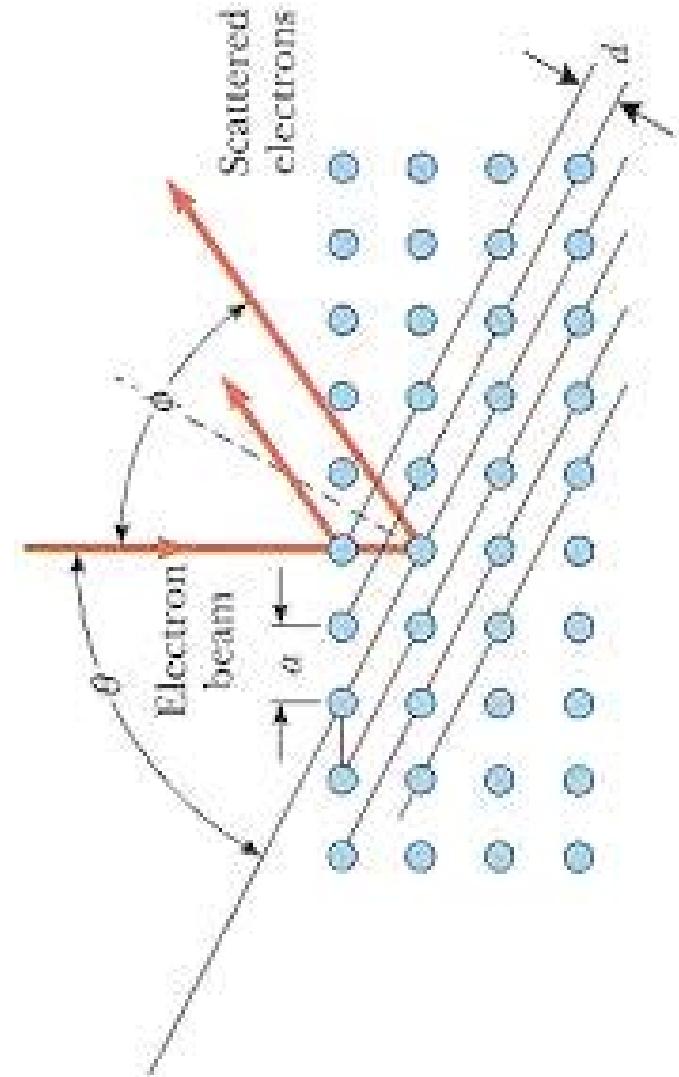
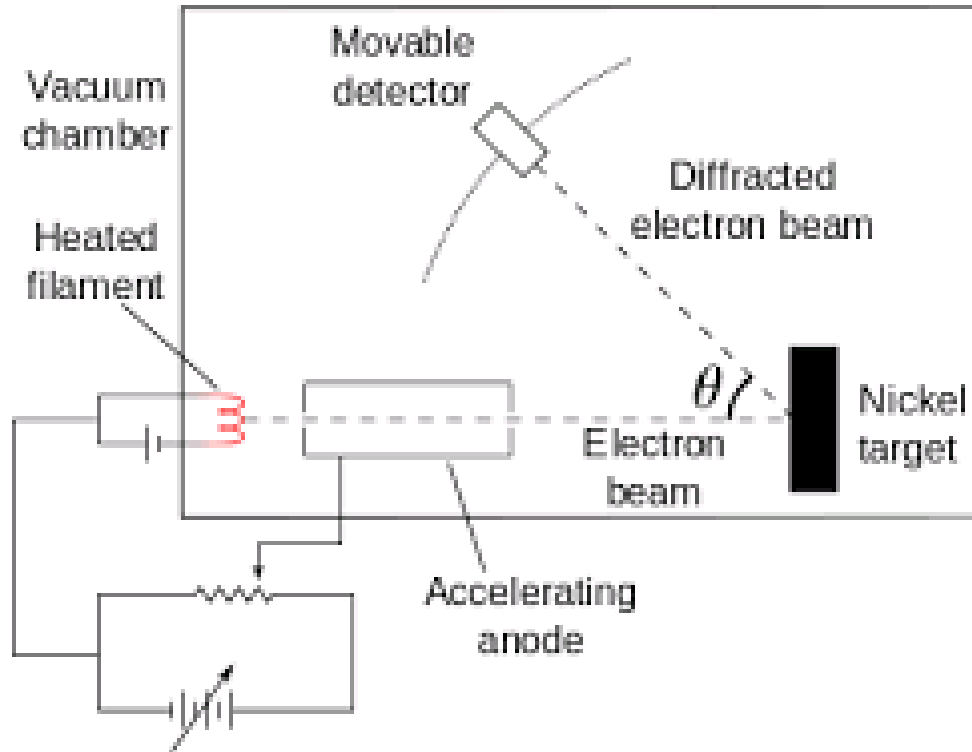


# Davisson-Germer Experiment on Electron Diffraction from Ni Surfaces

Bell Labs, 1927



### INCIDENT ELECTRON BEAM

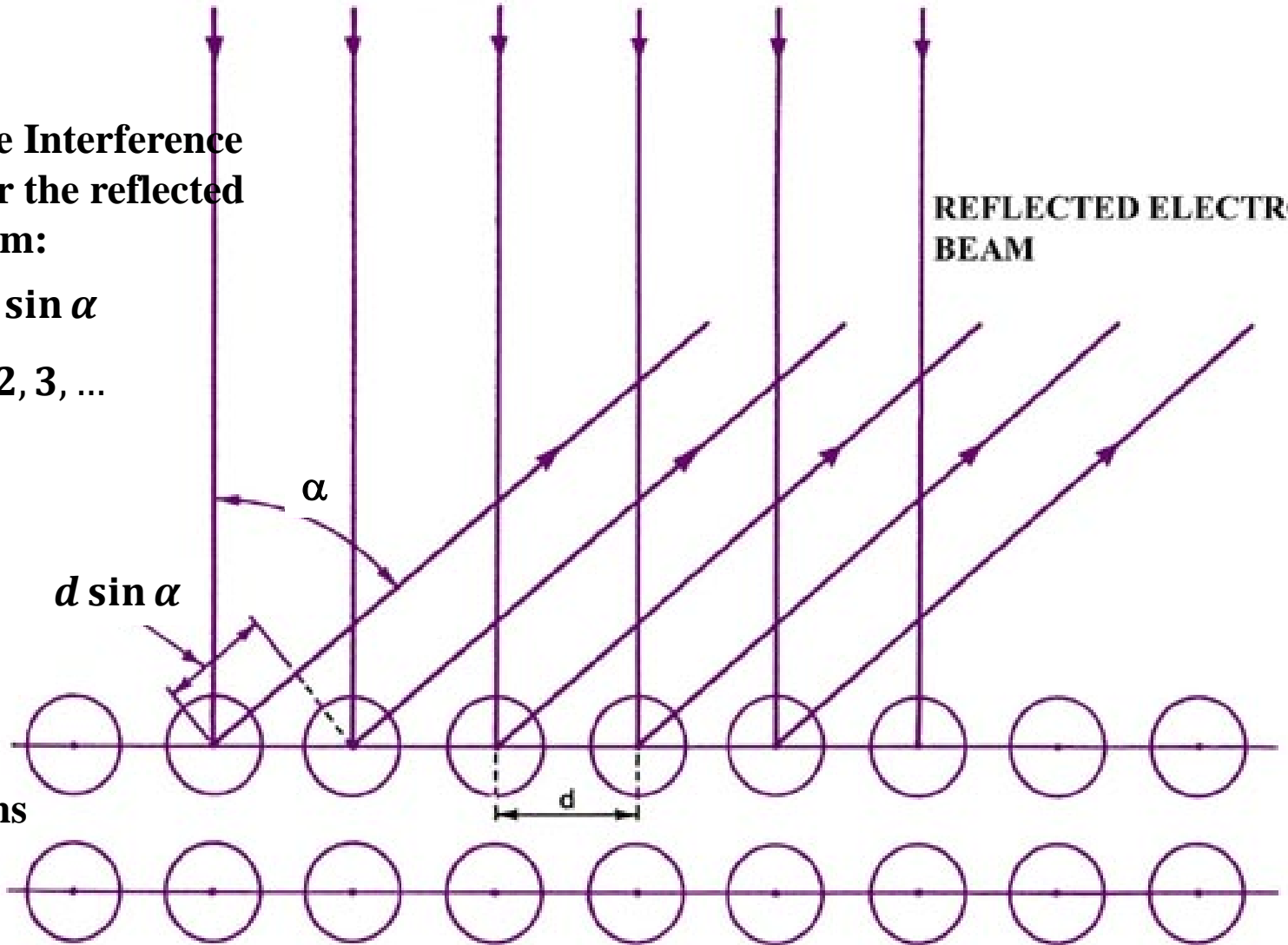
**Constructive Interference  
condition for the reflected  
electron beam:**

$$n\lambda = d \sin \alpha$$

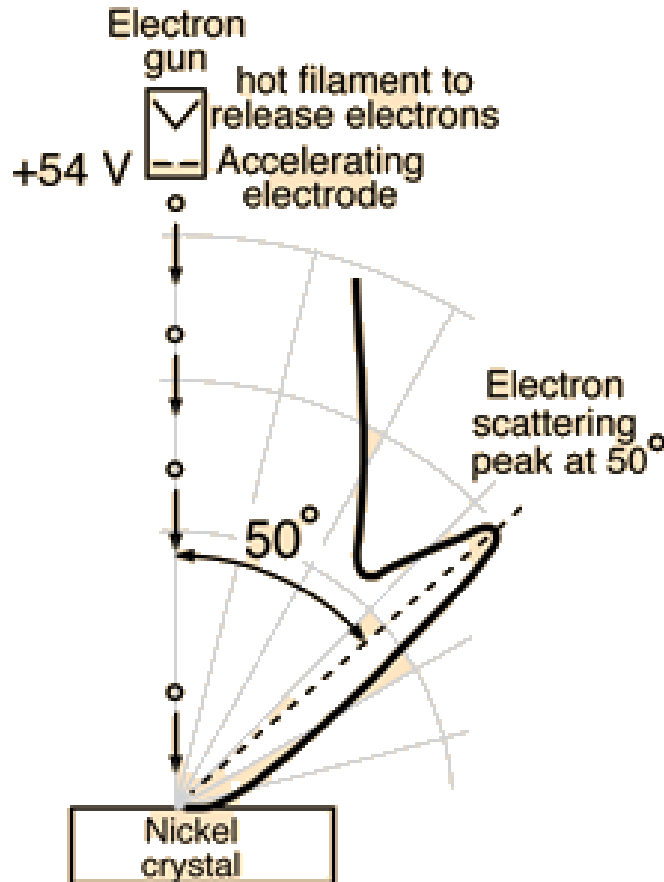
$$n = 1, 2, 3, \dots$$

### REFLECTED ELECTRON BEAM

**Ni atoms**



# Davisson-Germer Experiment on Electron Diffraction from Ni Surfaces



$$n\lambda = d \sin \alpha$$

$$\text{For Ni: } d = 0.215 \text{ nm}$$

*Davisson and Germer saw the first diffraction peak at  $\alpha = 50^\circ$*

$$\text{Hence } 1\lambda = 0.215 \text{ nm } \sin 50^\circ$$

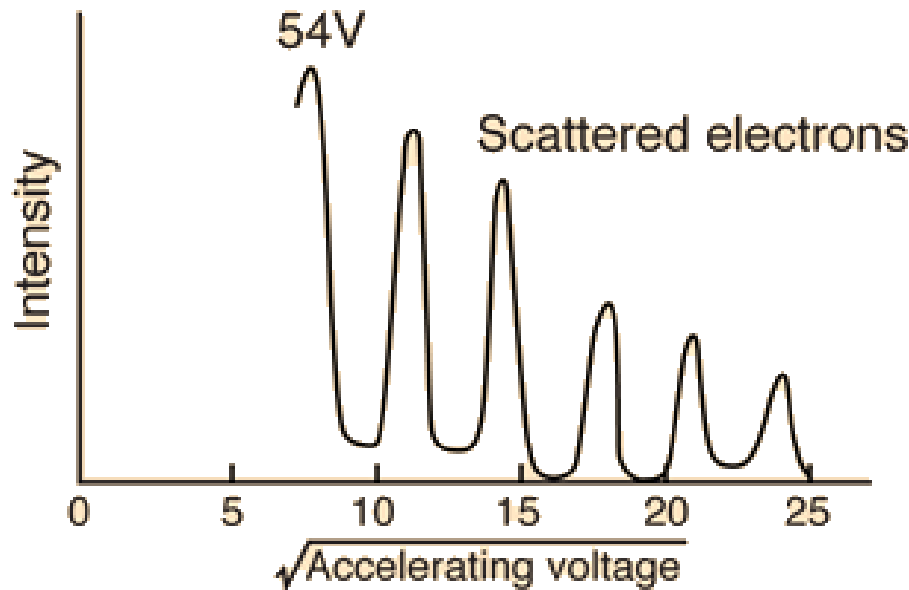
$$\text{So } \lambda = 0.165 \text{ nm}$$

*Meanwhile, deBroglie expects an electron wavelength for  $V_0 = 54 \text{ eV}$  of  $\lambda = \frac{1.226 \text{ nm}}{\sqrt{54}} = 0.167 \text{ nm}$*

**1924**  
de Broglie's hypothesis

**1927**  
Davisson-Germer experiment

**1929**  
Nobel Prize for de Broglie



The experimental data above, reproduced above Davisson's article, shows repeated peaks of scattered electron intensity with increasing accelerating voltage. This data was collected at a fixed scattering angle. Using the Bragg law, the [deBroglie wavelength](#) expression, and the kinetic energy of the accelerated electrons gives the relationship

$$\frac{1}{\lambda} = \frac{n}{2d \sin \theta} = \frac{p}{h} = \frac{\sqrt{2mE}}{h} = \frac{\sqrt{2meV}}{h}$$

<i>Electron wavelength</i>	<i>Bragg law</i>	<i>deBroglie relationship</i>	<i>Acceleration through voltage V</i>
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